

Stochastic Calculus For Finance II Continuous Time Models

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Introduction Stochastic calculus for finance II: continuous time models is a fundamental area of quantitative finance that provides the mathematical framework needed to model and analyze the dynamic behavior of financial markets. As financial instruments and markets have grown increasingly complex, the need for sophisticated mathematical tools has become paramount. Continuous time models, which treat asset prices as evolving continuously over time, enable traders, risk managers, and researchers to develop more accurate pricing models, hedging strategies, and risk assessment techniques. This branch of mathematical finance builds upon the foundational concepts of stochastic processes, particularly Brownian motion and martingales, to formulate models that reflect the inherent randomness in asset prices. It plays a crucial role in the development of derivative pricing theories such as the Black-Scholes model, as well as in the broader context of risk management, portfolio optimization, and financial engineering. In this article, we will explore the core principles of stochastic calculus as applied to continuous time financial models, covering essential topics such as stochastic integrals, Itô's lemma, stochastic differential equations, and their applications in finance.

Fundamental Concepts in Continuous Time Financial Models Stochastic Processes and Brownian Motion At the heart of continuous time models are stochastic processes, which describe the evolution of variables that are inherently random over time. The most prominent example in finance is Brownian motion (Wiener process), denoted as (W_t) :

- Properties of Brownian motion: - $(W_0 = 0)$ - (W_t) has independent increments - $(W_t - W_s \sim N(0, t-s))$ for $(t > s)$ - Paths are continuous but nowhere differentiable

Brownian motion models the unpredictable component of asset prices, capturing the randomness observed in markets.

Martingales and Filtrations Martingales are stochastic processes that model "fair game" scenarios, where the expected future value, conditional on the current information, equals the present value. 2 Formally, a process (M_t) is a martingale with respect to filtration $(\mathcal{F}_t)$ if: $[E[M_t | \mathcal{F}_s] = M_s \quad \text{for all } t \geq s]$

Filtrations $(\mathcal{F}_t)$ represent the information available up to time (t) . Martingales are central in financial mathematics because they

underpin the concept of no arbitrage and fair pricing. Stochastic Calculus: The Mathematical Toolbox

Stochastic Integrals A core concept in stochastic calculus is the stochastic integral, which generalizes the classical Riemann integral to integrals involving stochastic processes.

- Itô integral: For a process (X_t) adapted to the filtration $(\mathcal{F}_t)$, the stochastic integral with respect to Brownian motion (W_t) is written as: $\int_0^t X_s \, dW_s$
- Key features:
 - Linear in (X_s)
 - Well-defined for adapted processes satisfying certain integrability conditions
 - Crucial for modeling the accumulation of stochastic effects over time

This integral allows us to model the evolution of asset prices driven by stochastic noise.

Itô's Lemma Itô's lemma is the stochastic calculus counterpart of the chain rule in classical calculus. It provides a way to find the differential of a function $f(t, X_t)$ where (X_t) follows a stochastic process. Itô's lemma states: $df(t, X_t) = \frac{\partial f}{\partial t} dt + \frac{\partial f}{\partial X} dX_t + \frac{1}{2} \frac{\partial^2 f}{\partial X^2} (dX_t)^2$

In stochastic calculus, $(dX_t)^2$ is not negligible and is replaced by (dt) when (X_t) has a Brownian component. This lemma is instrumental in deriving differential equations governing option prices and other derivatives.

Stochastic Differential Equations (SDEs) SDEs describe the dynamics of stochastic processes, often modeling asset prices or interest rates. They take the form: $dX_t = \mu(t, X_t) dt + \sigma(t, X_t) dW_t$ where:

- $(\mu(t, X_t))$ is the drift term (expected rate of change)
- $(\sigma(t, X_t))$ is the volatility term (diffusion coefficient)

Solutions to SDEs provide the probabilistic evolution of financial variables over time.

Application of Stochastic Calculus in Continuous Time Financial Models

Modeling Asset Prices The most common continuous time model for asset prices is the Geometric Brownian Motion (GBM): $dS_t = \mu S_t dt + \sigma S_t dW_t$

- (S_t) : Asset price at time (t)
- (μ) : Expected return
- (σ) : Volatility

The solution to this SDE is: $S_t = S_0 \exp\left(\left(\mu - \frac{\sigma^2}{2}\right)t + \sigma W_t\right)$

This model forms the foundation of the Black-Scholes framework for option pricing.

Option Pricing and the Black-Scholes Model Using stochastic calculus, the Black-Scholes model derives a partial differential equation (PDE) for the price $V(t, S_t)$ of a European option: $\frac{\partial V}{\partial t} + rS \frac{\partial V}{\partial S} + \frac{1}{2} \sigma^2 S^2 \frac{\partial^2 V}{\partial S^2} - rV = 0$ where:

- (r) : Risk-free interest rate

By applying Itô's lemma and risk-neutral valuation, the model determines the fair value of options and other derivatives. The classical Black-Scholes formula is a closed-form solution obtained from this PDE.

Risk-Neutral Measure and Martingale Pricing A key insight in continuous time finance is the concept of a risk-neutral measure (Q) , under which discounted asset prices are martingales. This measure simplifies the pricing of derivatives:

- Under (Q) : The discounted asset price process

satisfies: $d\tilde{S}_t = \sigma \tilde{S}_t dW_t^Q$ - Pricing formula: $V_0 = e^{-rT} E^Q[\text{Payoff at } T]$

This approach formalizes the idea that in a no-arbitrage market, one can price derivatives as the discounted expectation of their payoffs under the risk-neutral measure.

Advanced Topics in Continuous Time Stochastic Calculus for Finance

Stochastic Volatility Models

While the Black-Scholes model assumes constant volatility, real markets exhibit stochastic volatility. Models like the Heston model introduce an additional SDE for volatility: $dv_t = \kappa(\theta - v_t)dt + \xi\sqrt{v_t}dW_t^v$ where: - (v_t) : Variance process - (κ) : Mean-reversion speed - (θ) : Long-term variance - (ξ) : Volatility of volatility

These models better capture market phenomena such as volatility clustering and smile effects.

Jump-Diffusion Models

To incorporate sudden market jumps, models combine Brownian motion with Poisson processes: $dS_t = \mu S_t dt + \sigma S_t dW_t + S_{t-} dJ_t$ where (J_t) models jump events. These models are useful for capturing rare but impactful market moves.

4 Hedging Strategies and Replication

Stochastic calculus enables the formulation of hedging strategies through continuous rebalancing of portfolios. The famous delta hedging involves adjusting holdings in the underlying asset to offset changes in option value: $\text{Hedging portfolio} = \Delta S_t + \text{bond position}$

This approach relies on the ability to compute derivatives of the option price with respect to the underlying asset, made possible through stochastic calculus techniques.

Conclusion

The field of stochastic calculus for finance in continuous time models provides a rigorous mathematical foundation for understanding and modeling the dynamics of financial markets. From basic models like geometric Brownian motion to advanced stochastic volatility and jump processes, these tools enable practitioners and researchers to develop accurate pricing models, effective hedging strategies, and robust risk management techniques. Mastering stochastic calculus is essential for anyone involved in quantitative finance, as it bridges the gap between real-world market complexities and mathematical modeling. As markets evolve and new financial instruments emerge, the importance of these mathematical frameworks will only continue to grow, underscoring their central role in modern finance.

Question Answer

What are the key differences between Itô calculus and classical calculus in continuous-time finance models? Itô calculus extends classical calculus to stochastic processes, allowing differentiation and integration with respect to Brownian motion. Unlike classical calculus, Itô's lemma accounts for the quadratic variation of stochastic processes, making it essential for modeling asset prices driven by Brownian motion in continuous-time finance.

How is the Itô integral used in modeling asset prices in continuous-time finance? The Itô integral enables the integration of stochastic processes, such as Brownian motion,

with respect to time. In finance, it models the stochastic component of asset price dynamics, capturing the randomness inherent in markets, and forms the backbone of models like the Black–Scholes equation. What is the significance of the Itô's lemma in continuous-time finance models? Itô's lemma provides a way to find the differential of a function of a stochastic process, facilitating the derivation of SDEs for transformed variables. It is crucial for deriving option pricing formulas and understanding how functions of stochastic processes evolve over time. 5 How do stochastic differential equations (SDEs) relate to continuous-time models in finance? SDEs describe the evolution of asset prices and other financial variables by incorporating both deterministic trends and stochastic shocks. They form the mathematical foundation of continuous-time models like geometric Brownian motion, enabling analysis and simulation of financial processes. What role does the Girsanov theorem play in changing the measure in stochastic calculus for finance? Girsanov theorem allows for a change of probability measure, transforming a drifted Brownian motion into a standard Brownian motion under the new measure. This is fundamental in risk-neutral valuation, enabling the pricing of derivatives by working under the risk-neutral measure. Why are martingale properties important in continuous-time financial models? Martingales represent fair game processes where the conditional expectation of future values equals the present. In finance, asset prices under the risk-neutral measure are modeled as martingales, which simplifies pricing and hedging of derivatives. How does stochastic calculus facilitate the derivation of the Black–Scholes PDE? Stochastic calculus, through Itô's lemma, transforms the dynamics of the underlying asset into a partial differential equation. This PDE, the Black–Scholes equation, provides a framework for option pricing by eliminating the stochastic component under risk-neutral valuation. What are the practical challenges of implementing continuous-time stochastic models in finance? Practical challenges include discretization errors when simulating continuous processes, parameter estimation from market data, handling model misspecification, and computational complexity. Despite these challenges, stochastic calculus provides a rigorous framework for understanding and modeling financial markets. Stochastic Calculus for Finance II: Continuous-Time Models Stochastic calculus forms the mathematical backbone for modern quantitative finance, especially in modeling financial markets that evolve continuously over time. Building upon foundational concepts introduced in stochastic calculus, the second part of the series—Stochastic Calculus for Finance II—delves deeper into continuous-time models, providing essential tools for understanding derivative pricing, risk management, and dynamic hedging. This comprehensive review will explore the core concepts, mathematical frameworks, and practical applications that underpin this field. --

- Introduction to Continuous-Time Financial Models In finance, modeling asset prices accurately is crucial for valuation, hedging, and risk assessment. Continuous-time models assume that asset prices evolve in a continuous manner, driven by stochastic processes that capture market randomness. These models are preferred for their flexibility and analytical tractability, particularly when dealing with Stochastic Calculus For Finance Ii Continuous Time Models 6 derivatives and complex financial instruments. Key motivations for continuous-time modeling include: - Capturing the real-time evolution of prices. - Enabling the use of advanced calculus tools. - Facilitating the derivation of closed-form solutions for derivative prices. - Providing a framework for dynamic trading strategies. The classic example of a continuous-time model is the Geometric Brownian Motion (GBM), which underpins the Black-Scholes model. --- Core Mathematical Foundations Stochastic Processes and Brownian Motion At the heart of continuous-time models lies the concept of Brownian motion (or Wiener process), a continuous-time stochastic process characterized by: - Properties: - $(W_0 = 0)$ almost surely. - Independent increments: $(W_{t+s} - W_t)$ is independent of the past. - Stationary increments: distribution of $(W_{t+s} - W_t)$ depends only on (s) . - Normally distributed increments: $(W_{t+s} - W_t \sim N(0, s))$. - Almost sure continuous paths. Brownian motion models the unpredictable, continuous shocks in asset prices. Extension to other processes: - Martingales: processes with fair game properties. - Itô processes: adapted processes expressed as integrals with respect to Brownian motion plus drift terms. --- Itô Calculus Itô calculus extends classical calculus to stochastic processes, allowing differentiation and integration involving Brownian motion. The foundation rests on Itô's Lemma, which provides a stochastic chain rule. Itô's Lemma (one-dimensional): If (X_t) follows an Itô process: $[dX_t = \mu_t dt + \sigma_t dW_t,]$ and $(f(t, X_t))$ is sufficiently smooth (twice differentiable in (x) , once in (t)), then: $[df(t, X_t) = \left(\frac{\partial f}{\partial t} + \mu_t \frac{\partial f}{\partial x} + \frac{1}{2} \sigma_t^2 \frac{\partial^2 f}{\partial x^2} \right) dt + \sigma_t \frac{\partial f}{\partial x} dW_t.]$ This formula is fundamental for deriving differential equations governing derivative prices. --- Modeling Asset Prices: The Geometric Brownian Motion The most basic continuous-time model for stock prices is the Geometric Brownian Motion (GBM): $[dS_t = \mu S_t dt + \sigma S_t dW_t,]$ where: - (S_t) : asset price at time (t) , - (μ) : drift (expected return), - (σ) : volatility, - (W_t) : standard Brownian motion. Properties: - Log-normal distribution of (S_t) , - Continuous paths, - Markov property: future evolution depends only on the current state. Solution: $[S_t = S_0 \exp \left(\left(\mu - \frac{1}{2} \sigma^2 \right) t + \sigma W_t \right),]$ which provides a closed-form expression for the distribution of

(S_t) . --- Stochastic Calculus For Finance Ii Continuous Time Models 7 Risk-Neutral Measures and Pricing A core concept in continuous-time finance is the change of probability measure from the real-world measure $(\mathbb{P})$ to a risk-neutral measure $(\mathbb{Q})$. Under $(\mathbb{Q})$, discounted asset prices are martingales, simplifying derivative valuation. Key steps: 1. Girsanov's Theorem: Allows changing the drift of Brownian motion, transforming the real-world measure into the risk-neutral measure. - Under $(\mathbb{Q})$, the dynamics of (S_t) become: $dS_t = r S_t dt + \sigma S_t dW_t^{\mathbb{Q}}$, where (r) is the risk-free rate, and $(W_t^{\mathbb{Q}})$ is a Brownian motion under $(\mathbb{Q})$. 2. Martingale pricing: The arbitrage-free price of a derivative with payoff $(\Phi(S_T))$ at maturity (T) : $V_0 = e^{-rT} \mathbb{E}^{\mathbb{Q}}[\Phi(S_T)]$, where the expectation is taken under the risk-neutral measure. --- Derivation of the Black-Scholes Equation Using stochastic calculus, the famous Black-Scholes PDE is derived by constructing a riskless hedge portfolio. Steps: 1. Construct a portfolio: - Hold (Δ) units of the stock and a short position in the option. - The portfolio value: $\Pi_t = V(t, S_t) - \Delta S_t$, where $(V(t, S_t))$ is the option price. 2. Apply Itô's Lemma: To the option price: $dV = \frac{\partial V}{\partial t} dt + \frac{\partial V}{\partial S} dS + \frac{1}{2} \frac{\partial^2 V}{\partial S^2} (dS)^2$. 3. Choose $(\Delta = \frac{\partial V}{\partial S})$: to eliminate stochastic terms, making the portfolio riskless. 4. No arbitrage condition: The portfolio earns the risk-free rate: $d\Pi_t = r \Pi_t dt$, which leads to the Black-Scholes PDE: $\frac{\partial V}{\partial t} + r S \frac{\partial V}{\partial S} + \frac{1}{2} \sigma^2 S^2 \frac{\partial^2 V}{\partial S^2} - r V = 0$. Solution: The explicit solution for a European call option: $C(S, t) = S N(d_1) - K e^{-r(T-t)} N(d_2)$, where: $d_{1,2} = \frac{\ln(S/K) + (r \pm \frac{1}{2} \sigma^2)(T-t)}{\sigma \sqrt{T-t}}$, and $(N(\cdot))$ is the cumulative distribution function of the standard normal. --- Advanced Topics in Continuous-Time Models Stochastic Volatility Models Real markets exhibit volatility clustering and stochastic volatility. These are modeled via processes such as: - Heston Model:
$$\begin{cases} dS_t = r S_t dt + \sqrt{v_t} S_t dW_t^S, \\ dv_t = \kappa (\theta - v_t) dt + \xi \sqrt{v_t} dW_t^v, \end{cases}$$
 where (v_t) is the stochastic variance, (κ) the mean-reversion speed, (θ) the long-term variance, (ξ) the volatility of volatility, and (W_t^S, W_t^v) correlated Brownian motions. Implications: - More realistic modeling of implied volatility surfaces. - More complex PDEs and characteristic functions for pricing. Stochastic Calculus For Finance Ii Continuous Time Models 8 Jump-Diffusion Models To incorporate sudden large moves, jump processes like Poisson jumps are added: $dS_t = \mu S_t dt + \sigma S_t dW_t + S_{t^-} dJ_t$, where (J_t) is a jump process with jump intensity (λ) and jump

size distribution. Applications: - Pricing options with jump risk. - Better fit to market data exhibiting jumps. Interest Rate Models Continuous-time models extend to the term structure of interest rates, e.g.: - Vasicek Model: Mean-reverting Ornstein-Uhlenbeck process. - Hull-White Model: Extends Vasicek to fit current yield curves. stochastic calculus, finance, continuous time models, Itô calculus, Brownian motion, stochastic differential equations, Black-Scholes model, martingales, filtration, risk-neutral valuation

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developed for the professional master s program in computational finance at carnegie mellon the leading financial engineering program in the u s has been tested in the classroom and revised over a period of several years exercises conclude every chapter some of these extend the theory while others are drawn from practical problems in quantitative finance

a wonderful display of the use of mathematical probability to derive a large set of results from a small set of assumptions in summary this is a well written text that treats the key classical models of finance through an applied probability approach it should serve as an excellent introduction for anyone studying the mathematics of the classical theory of finance siam

this book is designed for students who want to develop professional skill in stochastic calculus and its application to problems in finance the wharton school course that forms the basis for this book is designed for energetic students who have had some experience with probability and statistics but have not had advanced courses in stochastic processes although the course assumes only a modest background it moves quickly and in the end students can expect to have tools that are deep enough and rich enough to be relied on throughout their professional careers the course begins with simple random walk and the analysis of gambling games this material is used to motivate the theory of martingales and after reaching a decent level of confidence with discrete processes the course takes up the more demanding development of continuous time stochastic processes especially brownian motion the construction of brownian motion is given in detail and enough material on the subtle nature of brownian paths is developed for the student to evolve a good sense of when intuition can be trusted and when it cannot the course then takes up the ito integral in earnest the development of stochastic integration aims to be careful and complete without being pedantic

in 1994 and 1998 f delbaen and w schachermayer published two breakthrough papers where they proved continuous time versions of the fundamental theorem of asset pricing this is one of the most remarkable achievements in modern mathematical finance which led to intensive investigations in many applications of the arbitrage theory on a mathematically rigorous basis of stochastic calculus mathematical basis for finance stochastic calculus for finance provides detailed knowledge of all necessary attributes in stochastic calculus that are required for applications of the theory of stochastic integration in mathematical finance in particular the arbitrage theory the exposition follows the

traditions of the strasbourg school this book covers the general theory of stochastic processes local martingales and processes of bounded variation the theory of stochastic integration definition and properties of the stochastic exponential a part of the theory of lévy processes finally the reader gets acquainted with some facts concerning stochastic differential equations contains the most popular applications of the theory of stochastic integration details necessary facts from probability and analysis which are not included in many standard university courses such as theorems on monotone classes and uniform integrability written by experts in the field of modern mathematical finance

in recent years the growing importance of derivative products financial markets has increased financial institutions demands for mathematical skills this book introduces the mathematical methods of financial modeling with clear explanations of the most useful models introduction to stochastic calculus begins with an elementary presentation of discrete models including the cox ross rubenstein model this book will be valued by derivatives trading marketing and research divisions of investment banks and other institutions and also by graduate students and research academics in applied probability and finance theory

introduces key results essential for financial practitioners by means of concrete examples and a fully rigorous exposition

since the publication of the first edition of this book the area of mathematical finance has grown rapidly with financial analysts using more sophisticated mathematical concepts such as stochastic integration to describe the behavior of markets and to derive computing methods maintaining the lucid style of its popular predecessor introduction to stochastic calculus applied to finance second edition incorporates some of these new techniques and concepts to provide an accessible up to date initiation to the field new to the second edition complements on discrete models including rogers approach to the fundamental theorem of asset pricing and super replication in incomplete markets discussions on local volatility dupire s formula the change of numéraire techniques forward measures and the forward libor model a new chapter on credit risk modeling an extension of the chapter on simulation with numerical experiments that illustrate variance reduction techniques and hedging strategies additional exercises and problems providing all of the necessary stochastic calculus theory the authors cover many key finance topics including

martingales arbitrage option pricing american and european options the black scholes model optimal hedging and the computer simulation of financial models they succeed in producing a solid introduction to stochastic approaches used in the financial world

malliavin calculus in finance theory and practice aims to introduce the study of stochastic volatility sv models via malliavin calculus malliavin calculus has had a profound impact on stochastic analysis originally motivated by the study of the existence of smooth densities of certain random variables it has proved to be a useful tool in many other problems in particular it has found applications in quantitative finance as in the computation of hedging strategies or the efficient estimation of the greeks the objective of this book is to offer a bridge between theory and practice it shows that malliavin calculus is an easy to apply tool that allows us to recover unify and generalize several previous results in the literature on stochastic volatility modeling related to the vanilla the forward and the vix implied volatility surfaces it can be applied to local stochastic and also to rough volatilities driven by a fractional brownian motion leading to simple and explicit results features intermediate advanced level text on quantitative finance oriented to practitioners with a basic background in stochastic analysis which could also be useful for researchers and students in quantitative finance includes examples on concrete models such as the heston the sabr and rough volatilities as well as several numerical experiments and the corresponding python scripts covers applications on vanillas forward start options and options on the vix the book also has a github repository with the python library corresponding to the numerical examples in the text the library has been implemented so that the users can re use the numerical code for building their examples the repository can be accessed here [bit ly 2knex2y](https://bit.ly/2knex2y)

dedicated to the russian mathematician albert shiryaev on his 70th birthday this is a collection of papers written by his former students co authors and colleagues the book represents the modern state of art of a quickly maturing theory and will be an essential source and reading for researchers in this area diversity of topics and comprehensive style of the papers make the book attractive for phd students and young researchers

this book focuses specifically on the key results in stochastic processes that have become essential for finance practitioners to understand the authors study the wiener process and ito integrals in some detail with a focus on results needed for the black scholes option pricing model after developing the required martingale properties of this

process the construction of the integral and the ito formula proved in detail become the centrepiece both for theory and applications and to provide concrete examples of stochastic differential equations used in finance finally proofs of the existence uniqueness and the markov property of solutions of general stochastic equations complete the book using careful exposition and detailed proofs this book is a far more accessible introduction to ito calculus than most texts students practitioners and researchers will benefit from its rigorous but unfussy approach to technical issues solutions to the exercises are available online

the book deals with propagation of errors on data through mathematical models with applications in finance and physics it is interesting for scientists and practitioners when studying the sensitivity of their models to small changes in the hypotheses the book differs from what is usually done in sensitivity analysis because it yields powerful new tools allowing to manage errors in stochastic models as those used in modern finance

modelling with the ito integral or stochastic differential equations has become increasingly important in various applied fields including physics biology chemistry and finance however stochastic calculus is based on a deep mathematical theory this book is suitable for the reader without a deep mathematical background it gives an elementary introduction to that area of probability theory without burdening the reader with a great deal of measure theory applications are taken from stochastic finance in particular the black scholes option pricing formula is derived the book can serve as a text for a course on stochastic calculus for non mathematicians or as elementary reading material for anyone who wants to learn about ito calculus and or stochastic finance

a rigorous introduction to the mathematics of pricing construction and hedging of derivative securities

although there are many textbooks on stochastic calculus applied to finance this volume earns its place with a pedagogical approach the text presents a quick but by no means dirty road to the tools required for advanced finance in continuous time including option pricing by martingale methods term structure models in a hjm framework and the libor market model the reader should be familiar with elementary real analysis and basic probability theory

finance provides a dramatic example of the successful application of mathematics to the practical problem of pricing

financial derivatives this self contained text is designed for first courses in financial calculus key concepts are introduced in the discrete time framework proofs in the continuous time world follow naturally the second half of the book is devoted to financially sophisticated models and instruments a valuable feature is the large number of exercises and examples designed to test technique and illustrate how the methods and concepts are applied to realistic financial questions

mathematical finance requires the use of advanced mathematical techniques drawn from the theory of probability stochastic processes and stochastic differential equations these areas are generally introduced and developed at an abstract level making it problematic when applying these techniques to practical issues in finance problems and solutions in mathematical finance volume i stochastic calculus is the first of a four volume set of books focusing on problems and solutions in mathematical finance this volume introduces the reader to the basic stochastic calculus concepts required for the study of this important subject providing a large number of worked examples which enable the reader to build the necessary foundation for more practical orientated problems in the later volumes through this application and by working through the numerous examples the reader will properly understand and appreciate the fundamentals that underpin mathematical finance written mainly for students industry practitioners and those involved in teaching in this field of study stochastic calculus provides a valuable reference book to complement one s further understanding of mathematical finance

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